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# WF4313/6413-Fisheries Management

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Class 4

A dark, atmospheric photograph of a fishing vessel at sea. The boat is a blue and white motor fishing vessel, likely a trawler, with a large net being hauled in. Two crew members in bright yellow and red gear are visible on the deck. The background is a dark, overcast sky and calm water.



# Announcements





# MsState AFS Meeting

Date: Wednesday, Sept. 12,  
2018

Place: Thompson Hall,  
Room 118  
5:00 PM

**\*\*Pizza and Drinks provided at all  
meetings\*\***

Questions?  
Bradley Richardson  
[bmr380@msstate.edu](mailto:bmr380@msstate.edu)

***Dedicated to Strengthening  
the Fisheries Profession,  
Advancing Fisheries Science,  
& Conserving Fisheries  
Resources***



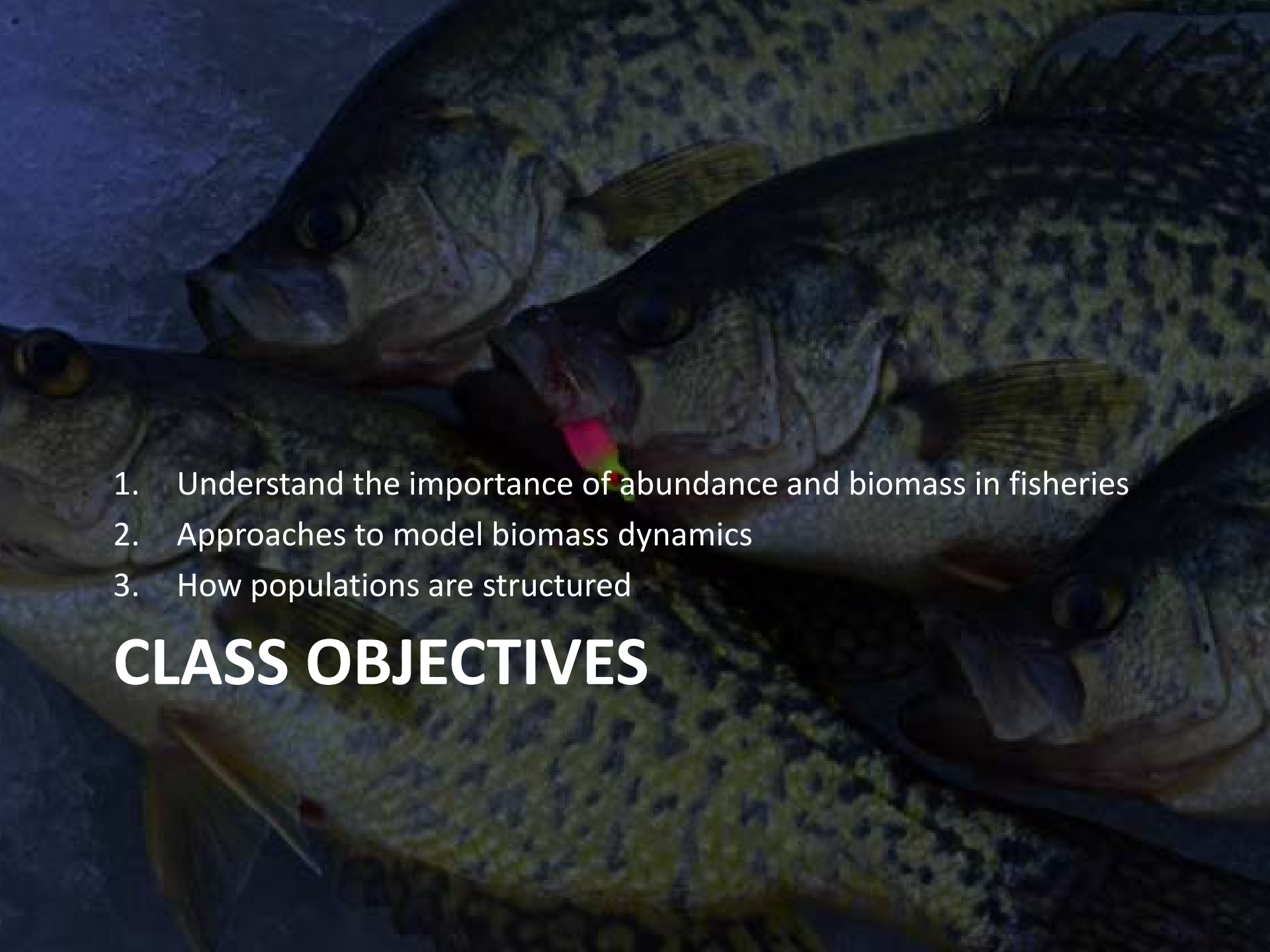
**AMERICAN  
FISHERIES  
SOCIETY  
MISSISSIPPI  
STATE  
UNIVERSITY  
STUDENT  
SUB-UNIT**

# Announcements

- Reminder to see website for content, links, and so on.

<https://mcolvin.github.io/WFA4313-Fisheries-Management/>

- Lab groups same as last week

- 
1. Understand the importance of abundance and biomass in fisheries
  2. Approaches to model biomass dynamics
  3. How populations are structured

## **CLASS OBJECTIVES**

# Fish dynamics



# Fish dynamics: state variables

Abundance



State Variable: Something measureable  
& can stored or lost over time:

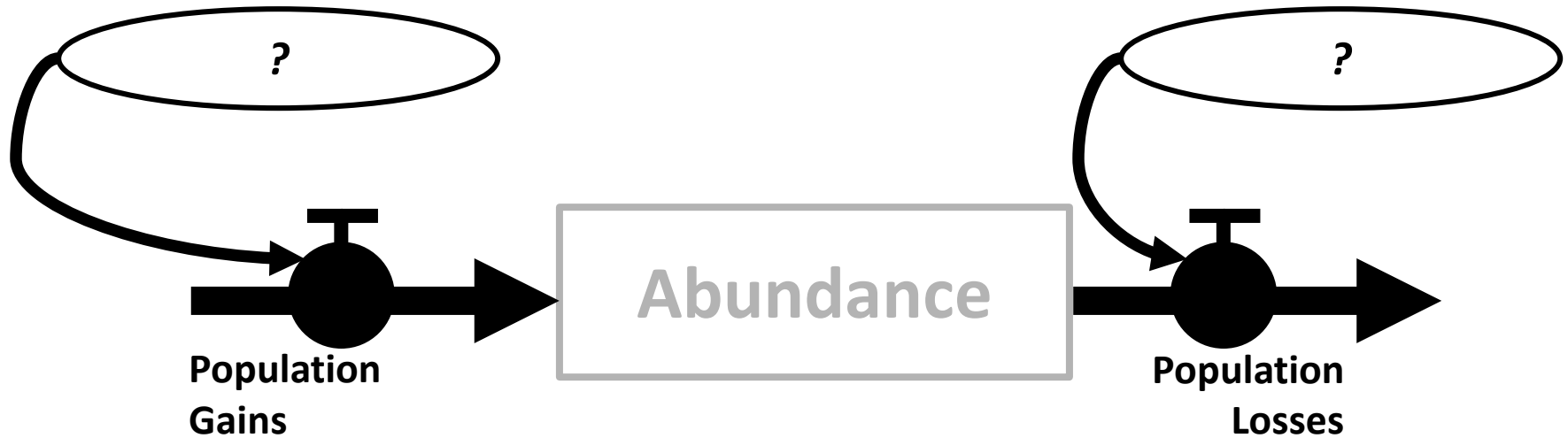
- Abundance
- Biomass

# Fish dynamics: processes





# Fish dynamics: Mechanisms



# Fish dynamics: Mechanisms

## Gains:

1. Recruitment
2. Immigration
3. Stocking
4. Other(s)?

## Losses:

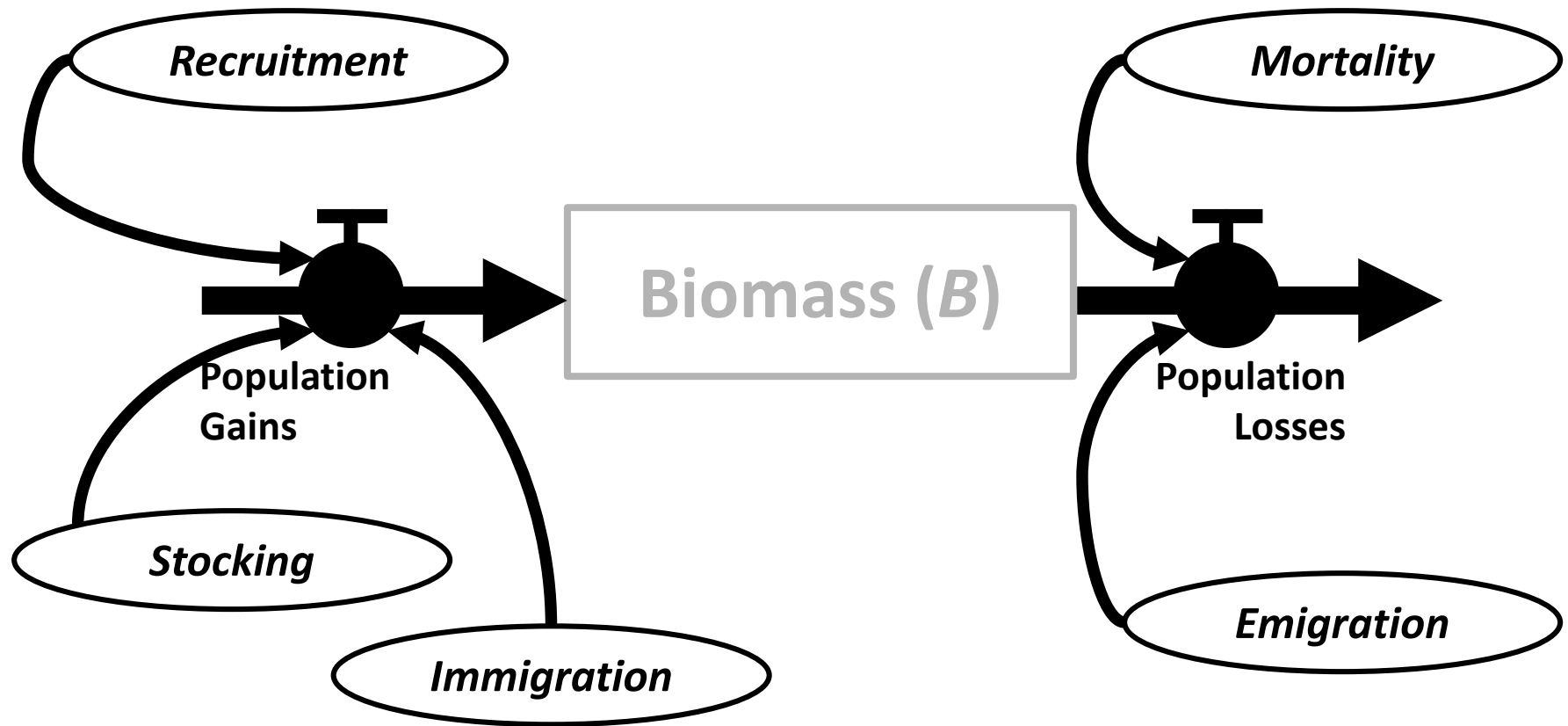
1. Mortality
  - a) Fishing
    - a) Commercial
    - b) Recreational
  - b) Natural
    - a) Predation
    - b) Pathogen
2. Emigration
3. Other(s)?

# Processes & Mechanisms

*Gains = recruitment + stocking + immigration*

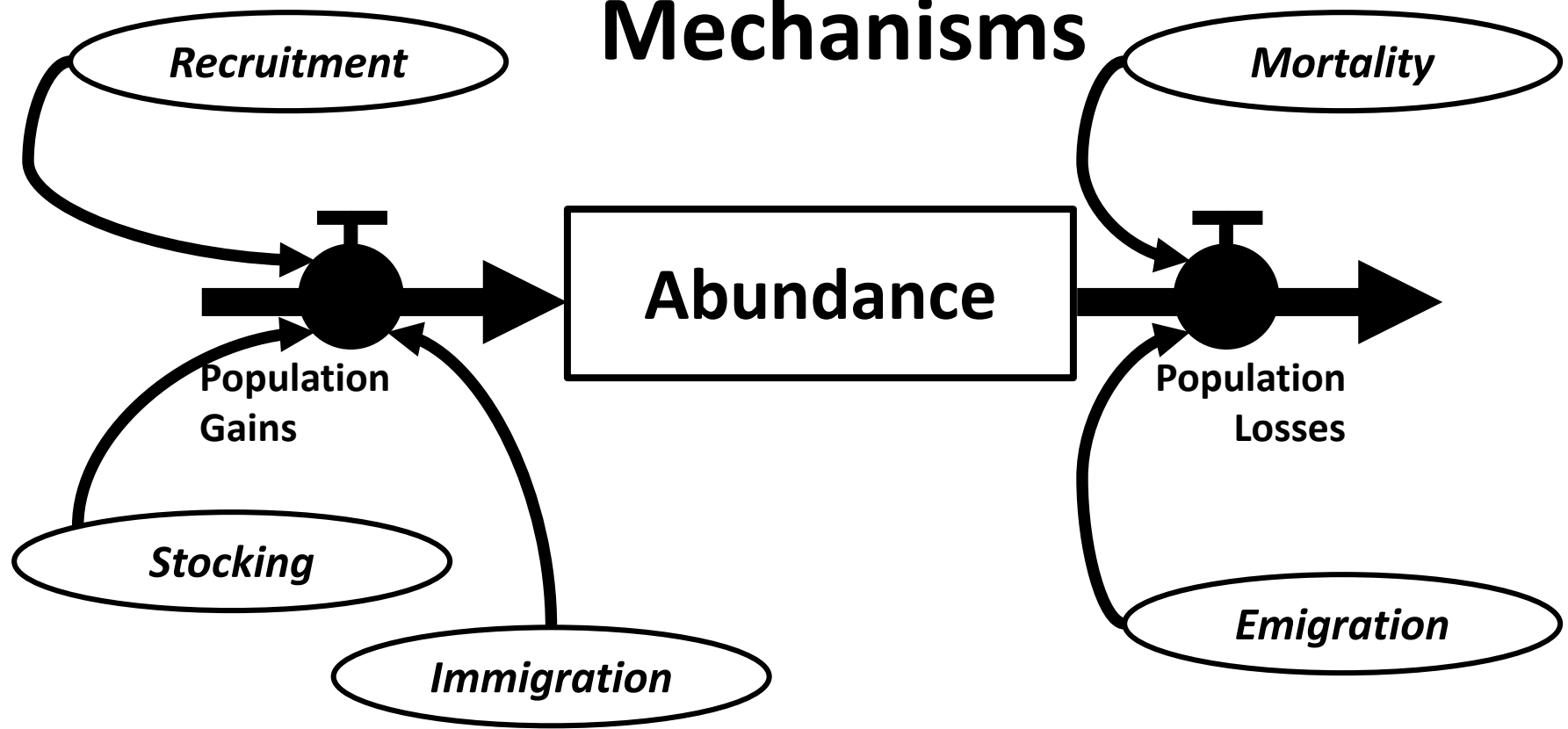
*Losses = mortality + emigration*

# Fish dynamics: States, Processes, & Mechanisms





# Fish dynamics: States, Processes, & Mechanisms

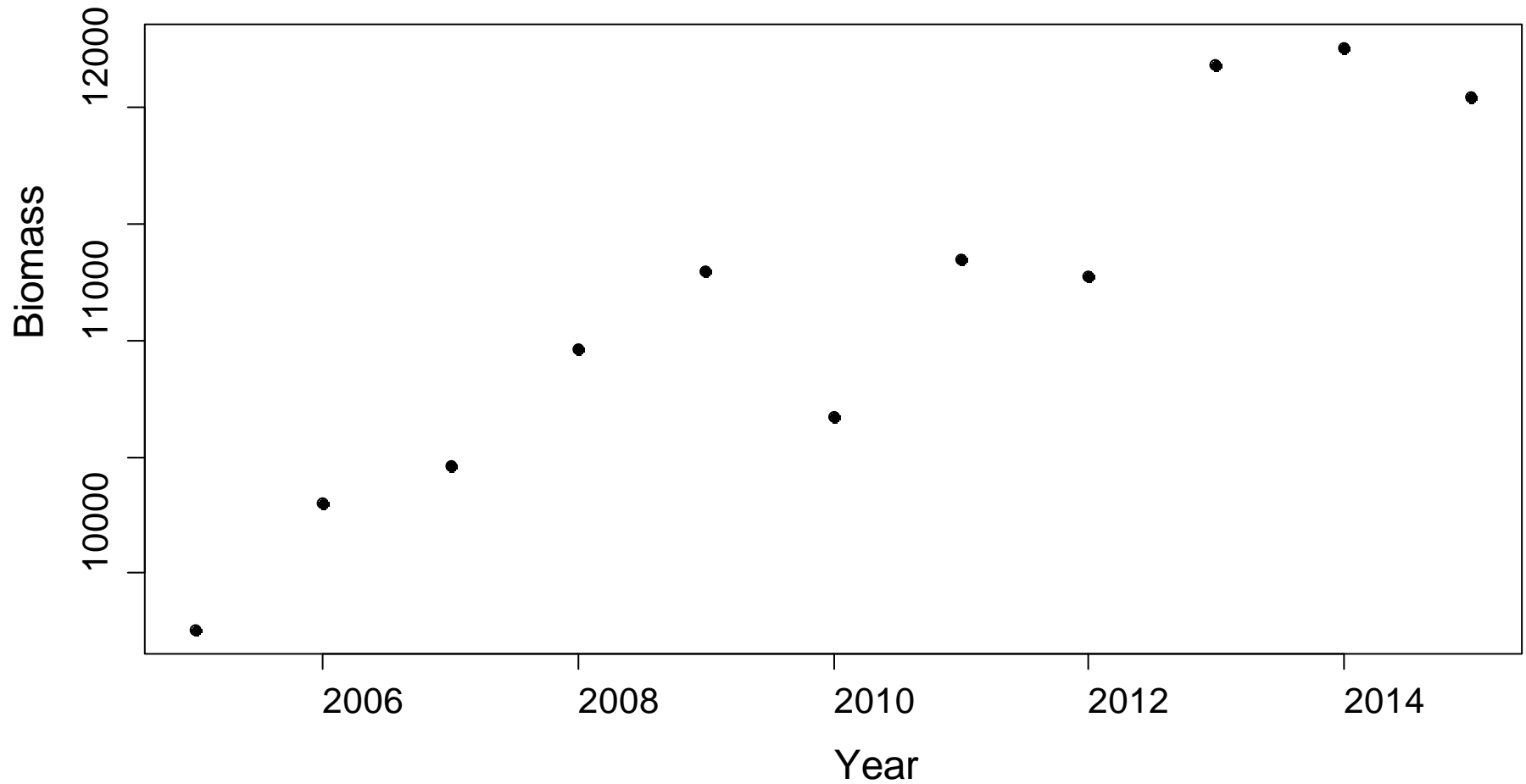


$$\frac{dAbundance}{dt} = (recruitment + stocking + immigration) - (mortality + emigration)$$

WFA 4313/6613

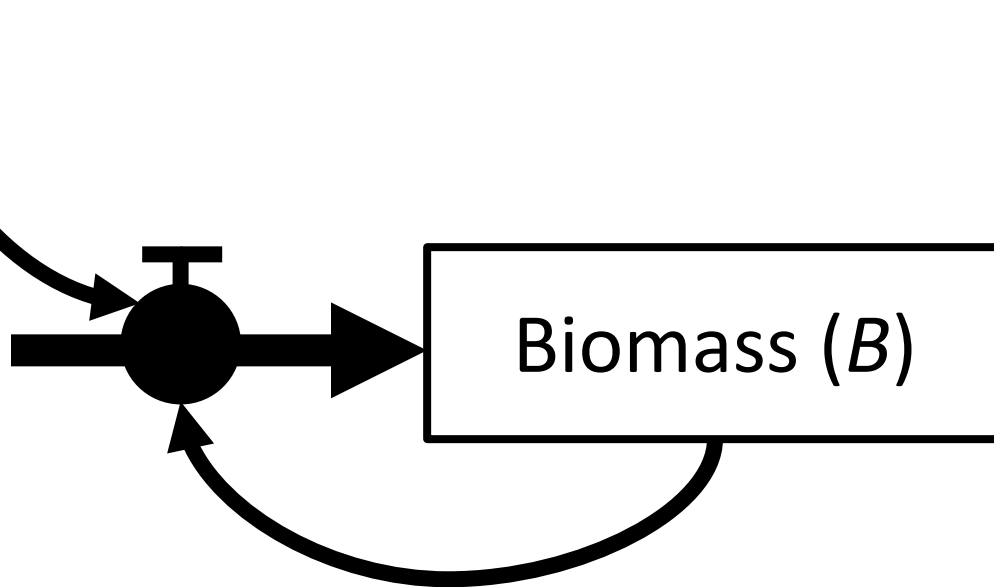
Why do we talk about biomass all the time?

# Some biomass dynamics



# Exponential population model

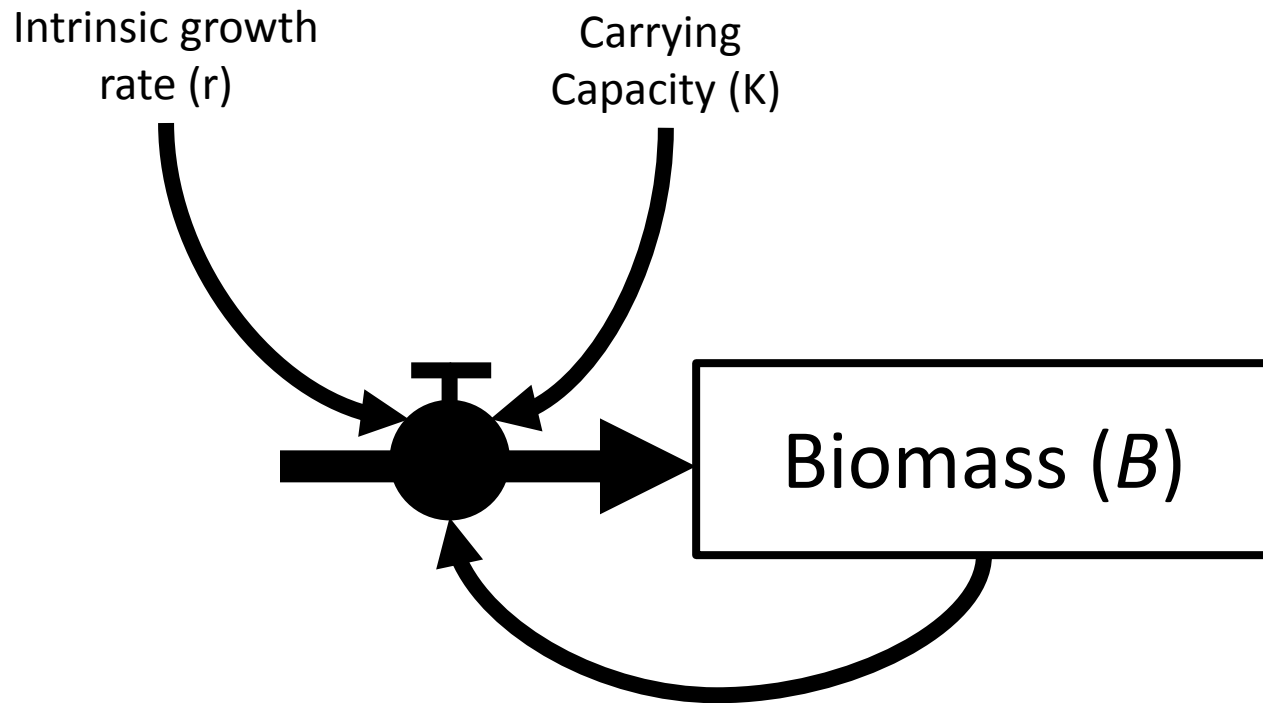
Intrinsic growth  
rate ( $r$ )



$$\frac{dB}{dt} = r \cdot B$$

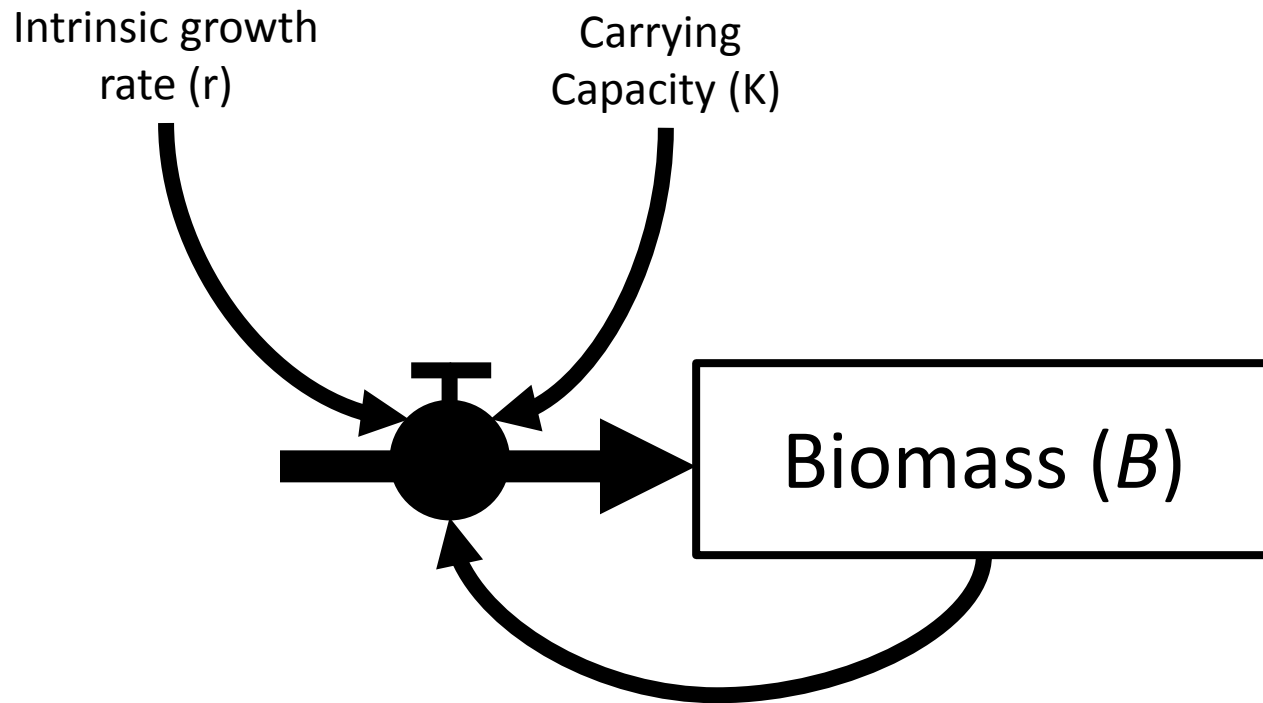


# Graham-Schaefer model



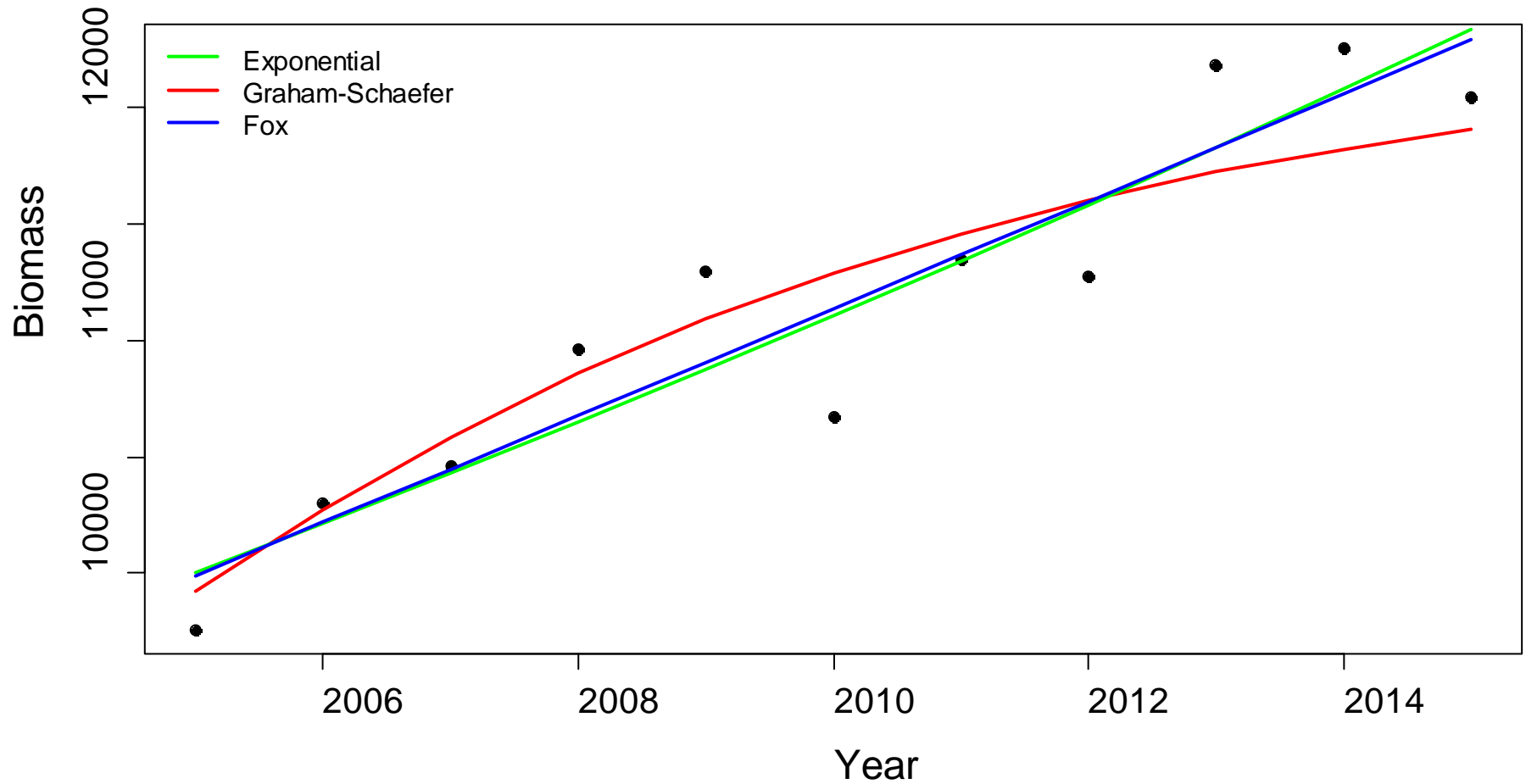
$$\frac{dB}{dt} = r \cdot B \cdot \frac{K - B}{K}$$

# Fox model



$$\frac{dB}{dt} = r \cdot B \cdot \left( 1 - \log_e \frac{B}{K} \right)$$

# Fitting models to the data...



Management Objective: Maximize  
sustainable harvest

$$\frac{dB}{dt} = r \cdot B - F \cdot B$$

$$\frac{dB}{dt} = r \cdot B \cdot \frac{K - B}{K} - F \cdot B$$

$$\frac{dB}{dt} = r \cdot B \cdot \left( 1 - \log_e \frac{B}{K} \right) - F \cdot B$$



# Management Objective: Maximize sustainable harvest

$$\frac{dB}{dt} = r \cdot B - \boxed{F \cdot B}$$

Amount harvested!

$$\frac{dB}{dt} = r \cdot B \cdot \frac{K - B}{K} - \boxed{F \cdot B}$$

$$\frac{dB}{dt} = r \cdot B \cdot \left( 1 - \log_e \frac{B}{K} \right) - \boxed{F \cdot B}$$

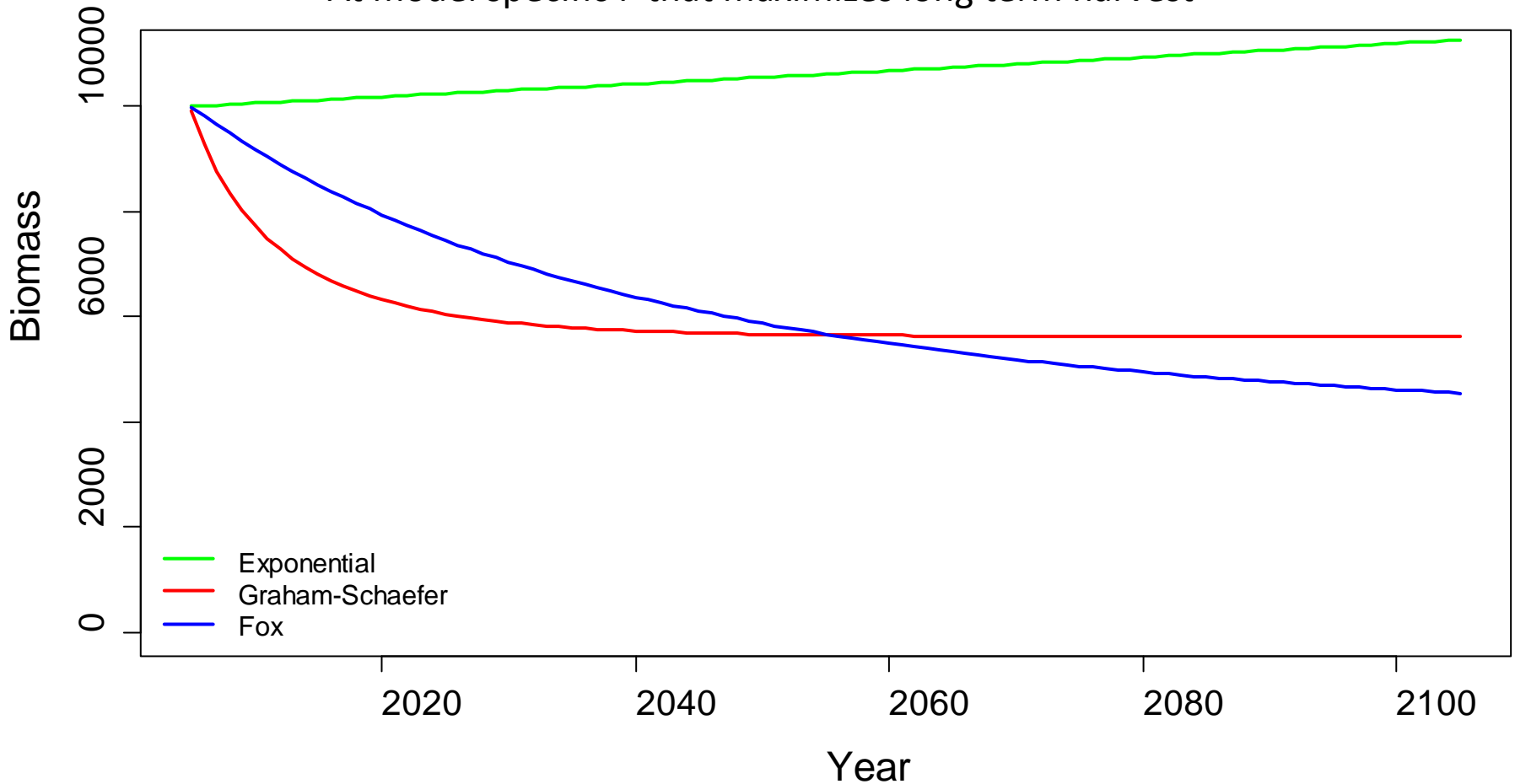
# What is the best $F$ ?

- Maximizes long term harvest-management objective
- Use fitted models to forecast
- Evaluate  $F$  for 0 to 0.5 by values of 0.02

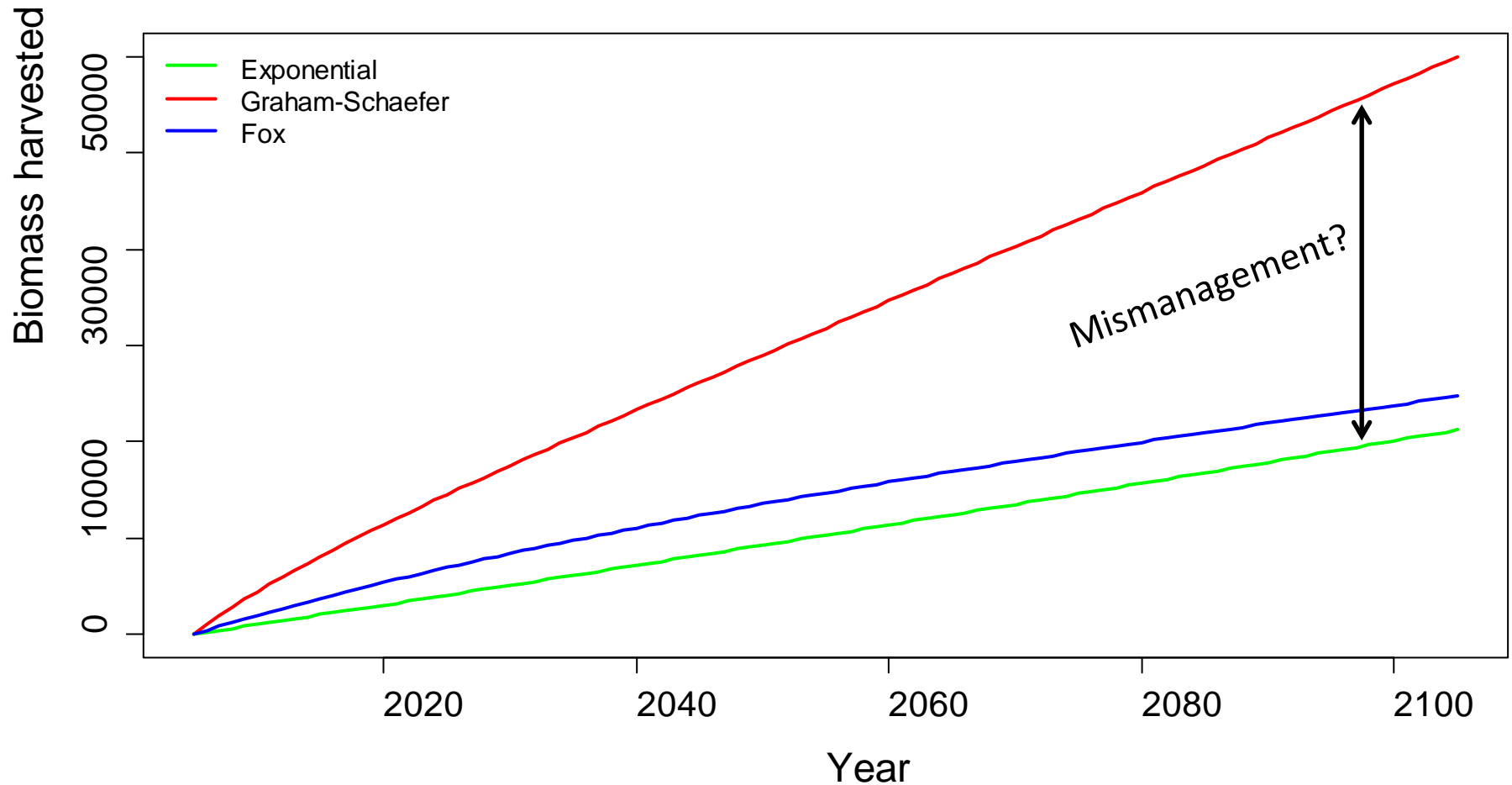
	$F$	gs	exp	fox
[1,]	0.00	0.00	0.00	0.00
[2,]	0.02	21779.79	21224.10	21646.35
[3,]	0.04	38577.48	18080.53	24713.71
[4,]	0.06	50464.39	15164.34	22688.42
[5,]	0.08	57546.80	13571.16	19928.11
[6,]	0.10	59994.16	12685.12	17609.71
[7,]	0.12	58101.77	12144.02	15893.78
[8,]	0.14	52437.50	11783.38	14672.49
[9,]	0.16	44146.05	11526.45	13805.45
[10,]	0.18	35243.40	11334.22	13180.18
[11,]	0.20	27959.85	11184.99	12718.09
[12,]	0.22	23121.18	11065.78	12367.03
[13,]	0.24	20132.50	10968.37	12092.99
[14,]	0.26	18218.05	10887.27	11873.68
[15,]	0.28	16903.07	10818.70	11694.29

# Forecasted biomass dynamics

At model specific  $F$  that maximizes long term harvest



# Forecasted biomass harvested



# Key point

- The optimal management decision depended on the model, was not the same!
- Structural uncertainty: we do not know with certainty the model governing biomass dynamics
- Working off of one model, mathematical or in your head, can lead to mismanagement!

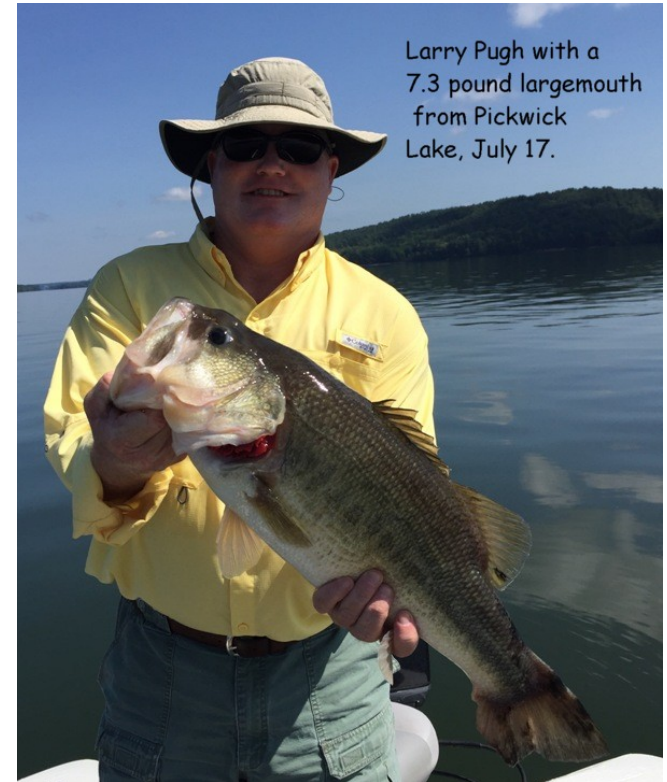


# Commercial versus Recreational Objectives

Objective: Biomass

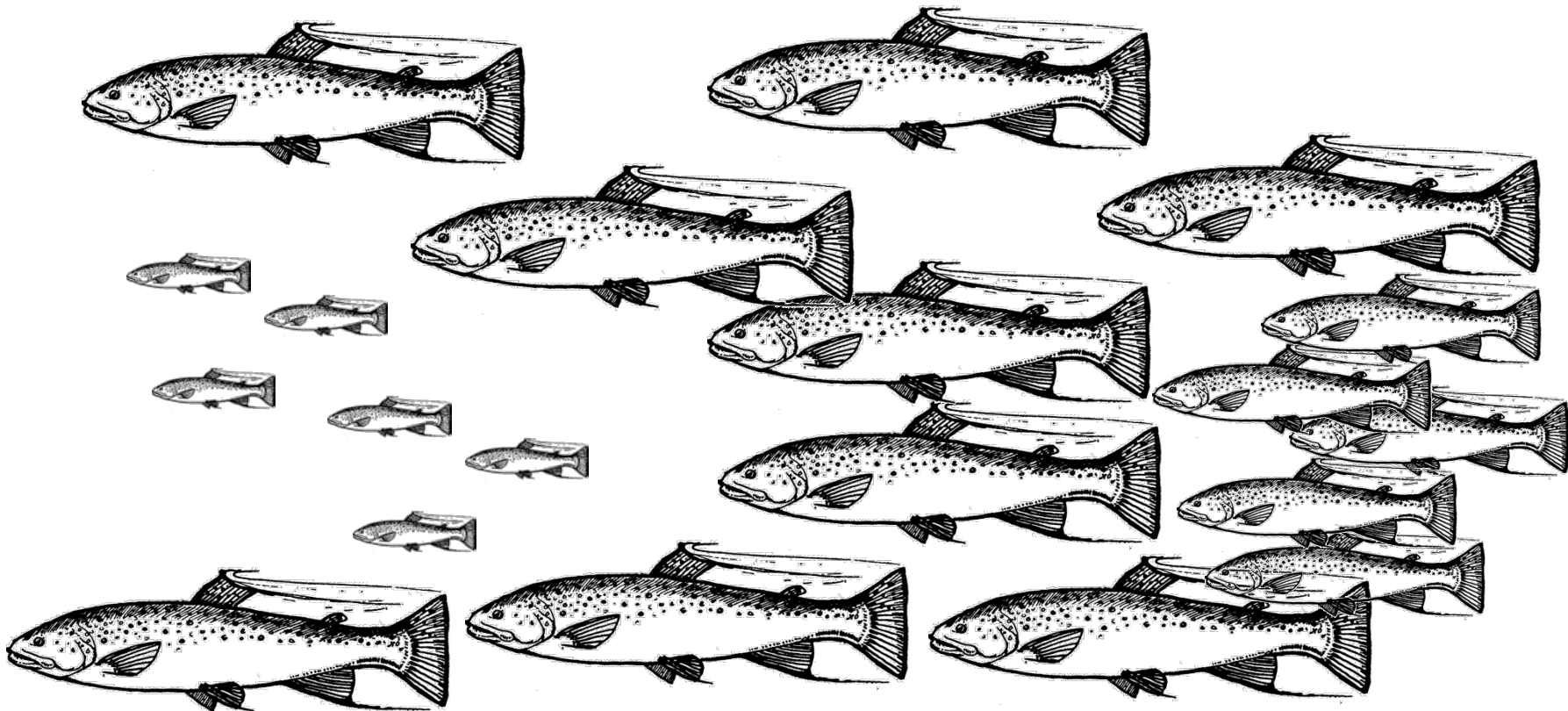


Objective: Size, Catch rate



# A Population

Unstructured or structured?



$$Biomass = \sum Abundance \cdot Weight$$

Or

$$Biomass = \sum Abundance_{age} \cdot Weight_{age}$$

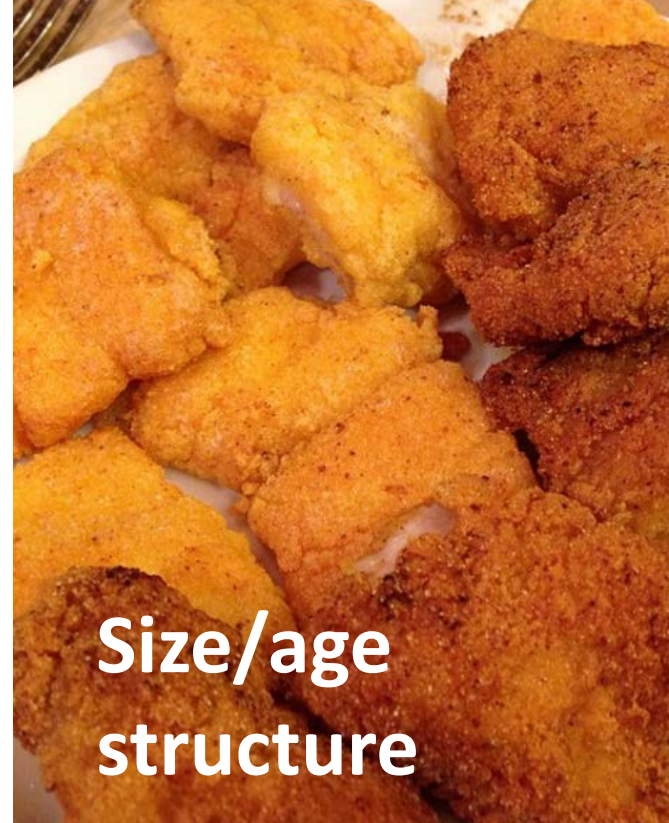
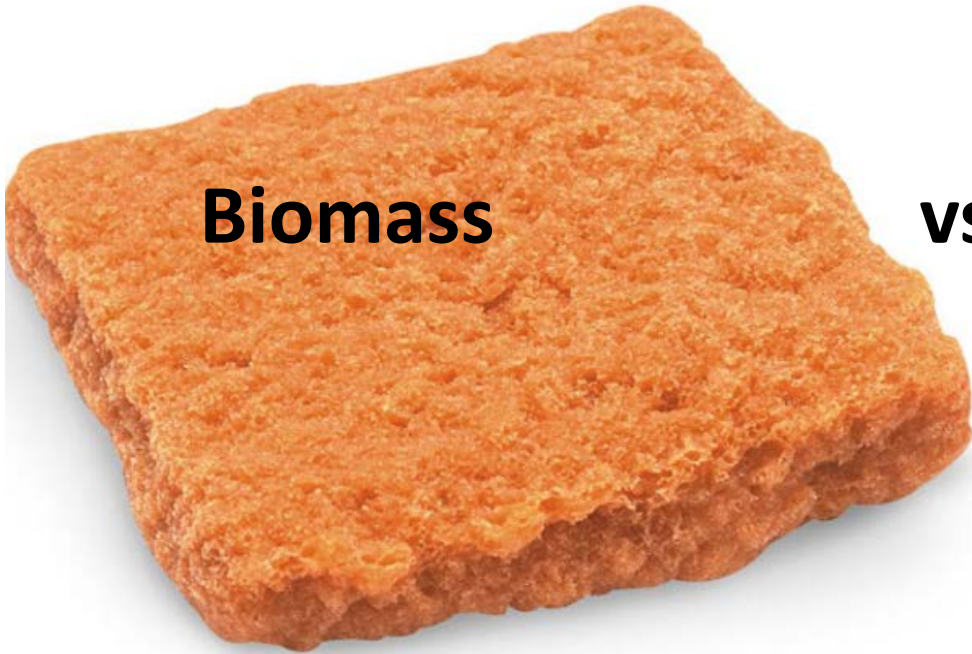
Biomass is a function of number of fish and the size of those fish which varies by age



**Biomass**

**vs.**

**Size/age  
structure**



# Thinking in terms of fish year class

Where,

$N_{t+dt}$  = number alive at time  $t$

$N_t$  = number alive at time  $t$

$Z$  = instantaneous total mortality rate

$dt$  = time units

$$\frac{dN}{dt} = -Z \cdot N$$

$$\frac{N_{t+dt} - N_t}{dt} = -Z \cdot N_t$$

$$N_{t+dt} - N_t = -Z \cdot N_t \cdot dt$$

$$N_{t+dt} = N_t + (-Z \cdot N_t \cdot dt)$$

# Mortality types

Total Mortality ( $Z$ ) is comprised of:

- Natural ( $M$ )
  1. Predation
  2. Disease, contaminants, toxicants
  3. Senescence
- Fishing ( $F$ )

Total mortality ( $Z$ ) is  $M+F$

# Cohort: definition

1. In a stock, a group of fish generated during the same spawning season and born during the same time period;
2. In cold and temperate areas, where fish are long-lived, a cohort corresponds usually to fish born during the same year (a year class). For instance, the 1987 cohort would refer to fish that are age 0 in 1987, age 1 in 1988, and so on. In the tropics, where fish tend to be short lived, cohorts may refer to shorter time intervals (e.g. spring cohort, autumn cohort, monthly cohorts).

# Year Class: definition

Fish in a stock born in the same year. For example, the 1987 year class of cod includes all cod born in 1987. This year class would be age 1 in 1988, age 2 in 1989, and so on. Occasionally, a stock produces a very small or very large year class that can be pivotal in determining stock abundance in later years.

# Year class dynamics

$$Z = 0.25$$

$$A = 1 - e^{-Z}$$

$$A = 1 - e^{-0.25}$$

$$A = 0.22$$

**Longevity ~  
10 years**

Year	Abundance
2015	10000
2016	
2017	
2018	
2019	
2020	
2021	
2022	
2023	
2024	
2025	

# Year class dynamics

Year	Abundance
2015	10000
2016	10000-2200
2017	
2018	
2019	
2020	
2021	
2022	
2023	
2024	
2025	

# Year class dynamics

Year	Abundance
2015	10000
2016	7800
2017	7800-1716
2018	
2019	
2020	
2021	
2022	
2023	
2024	
2025	



# Year class dynamics

Year	Abundance
2015	10000
2016	7800
2017	6084
2018	6084-1338
2019	
2020	
2021	
2022	
2023	
2024	
2025	

# Year class dynamics

Year	Abundance
2015	10000
2016	7800
2017	6084
2018	4745
2019	3701
2020	2887
2021	2252
2022	1757
2023	1370
2024	1069
2025	833